## Sampling Protein-Lipid Interactions with Swarms of Trajectories and a Transition Matrix Analysis

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#### Introduction

- Determining membrane protein lipid solvation is experimentally challenging
- Using long simulations to predict first shell lipids is costly, with uncertain convergence
- We return to an algorithm we introduced recently [1], Coarse Grained Transition Matrixes with swarms of short swarm, trajectories run in parallel
- Systematically checked coarse grained molecular dynamics simulations of various lengths and initial compositions demonstrates a shortcomings with this method

#### Unique states are not observed in simulations starting from a single or multiple initial compositions



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#### Methods

- Protein used is A<sub>2A</sub>R GPCR in inactive state
- Ternary systems are composed of DPPC:DOPC:CHOL (55:15:30)
- Coarse-grained Molecular Dynamics simulation preformed with MARTINI force field 2.2 [2] and GROMACS[1] 2018 4 simulation types
- 3 15µs simulations (Long Simulation)
- 50 50ns simulations for 1 initial state (Short Single State)
- 50 50ns simulations from random initial states (Short Multi-State)
- 90 50ns simulations from quasi-random initial states (Short **Expanded-States**)
- Voronoi Tessellation [5] to predict first shell counts (Fig1.) Construct coarse grained transition matrix [1]

### Short simulations require substantial initial states to sample key states in long simulations

#### Definitions

- $\pi^{eq}$  is the equilibrium distribution from the coarse grained transition matrix
- $\pi$  is the naive probability obtained from a simple average of sampled states
- $\Delta \pi$  the difference between  $\pi$  and  $\pi^{eq}$
- $\psi(t) = \frac{1}{3} \sum_{l} \frac{x_l(t)}{x_{l,i}}$ ; Compares weighted
- average composition at time t to the initial state composition
- $\psi(t)=1$  the same,  $\psi(t) > \text{ or } < 1$  diverges







Fig 1. Example MD and Voronoi Tessellation [5]. Each color is a lipid species, each polygon represents a lipid. First shell lipids are defined as lipid in direct contract with the protein (shown as beads). Protein is shown in dark grey. Membrane is ~17x17 nm.

#### Summary

- Rare states not observed using CGTM and short swarm simulations
- Much of state space must be sampled for short simulations to overlap large simulations
- What is the potential problem:
- Initial states over populate the CGTM
- Short simulations are "stuck" at locations near initial states and long simulations after equilibrium
- **Potential Fixes:**
- Reweighting algorithm [2]
- Specific initial state choices based on long simulations
- Introduce spacial coordinates into the CGTM
- Only sample form simulations like **Fig 3A top**

#### Citations

**1.** Leonard, Lyman, Biophys. J. (2021), <u>https://doi.org/</u> <u>10.1016/j.bpj.2021.02.029</u>, **2.** Russo, Zuckerman, et al., pre-print (2021), <u>arXiv:2105.13402</u>, **3.** Berendsen, et al., Comp. Phys. Comm (1995), https://doi.org/  $\Delta \pi$  I <u>10.1016/0010-4655(95)00042-E</u>, **4.** D.H. de Jong, et al. J. Chem. Th. Comp, 2013, <u>DOI:10.1021/ct300646g</u>. 5. Alexander Sodt, Voronoi Tessellation <u>https://github.com/</u> alexsodt/voronoi

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